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# Noise Elimination with Ensemble-Partitioning Filter

## *A Generic Implementation for Software Quality Engineering*

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0.1 ...

# Overview

- Introduction
- Ensemble-Partitioning Filter
- Case Studies
- Conclusion

# Software Quality Model (SQM)

- Proved technique in achieving better software quality control
- Two-group classification model

Actual class	Predicted class	
	<i>fp</i>	<i>nfp</i>
<i>fp</i>	true positive	false negative <sup>†</sup>
<i>nfp</i>	false positive <sup>†</sup>	true negative

<sup>†</sup> Type I error

<sup>‡</sup> Type II error

- Type II error more severe

# Importance of Data Quality

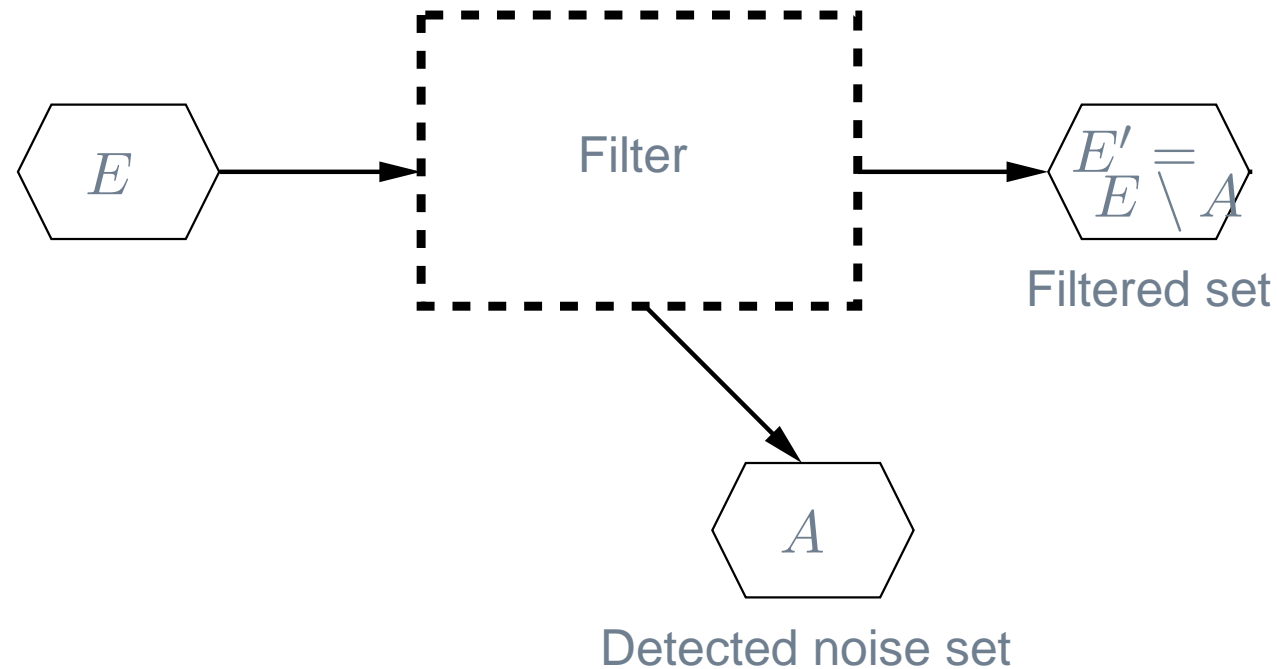
- Improve the performance accuracies of SQMs
- Information  $\implies$  key to success for any organization
- Common for large datasets to have noise ( $\geq 5\%$ )
- Disastrous consequences if not handled correctly



# 1 Ensemble-Partitioning Filter

# What is Filtering?

- A filter removes instances suspected to be noisy
- $f(I_k) = \{clean, noisy\}$





## 1.1 Ensemble Filter



# Principles

- Use  $m$  base learners,  $m = 5$  or  $25$
- $I_k$  identified as *noisy* if it is misclassified by  $\lambda$  classifiers
- $\lambda$ , filtering level
- Each base learner  $L_i$  can be seen as an *expert*

# Pros/Cons

## Pros



- Flexibility of the level of conservativeness
- Combine bias of different learners
- Higher degree of confidence in tossing out the instances suspects of being noisy.

## Cons

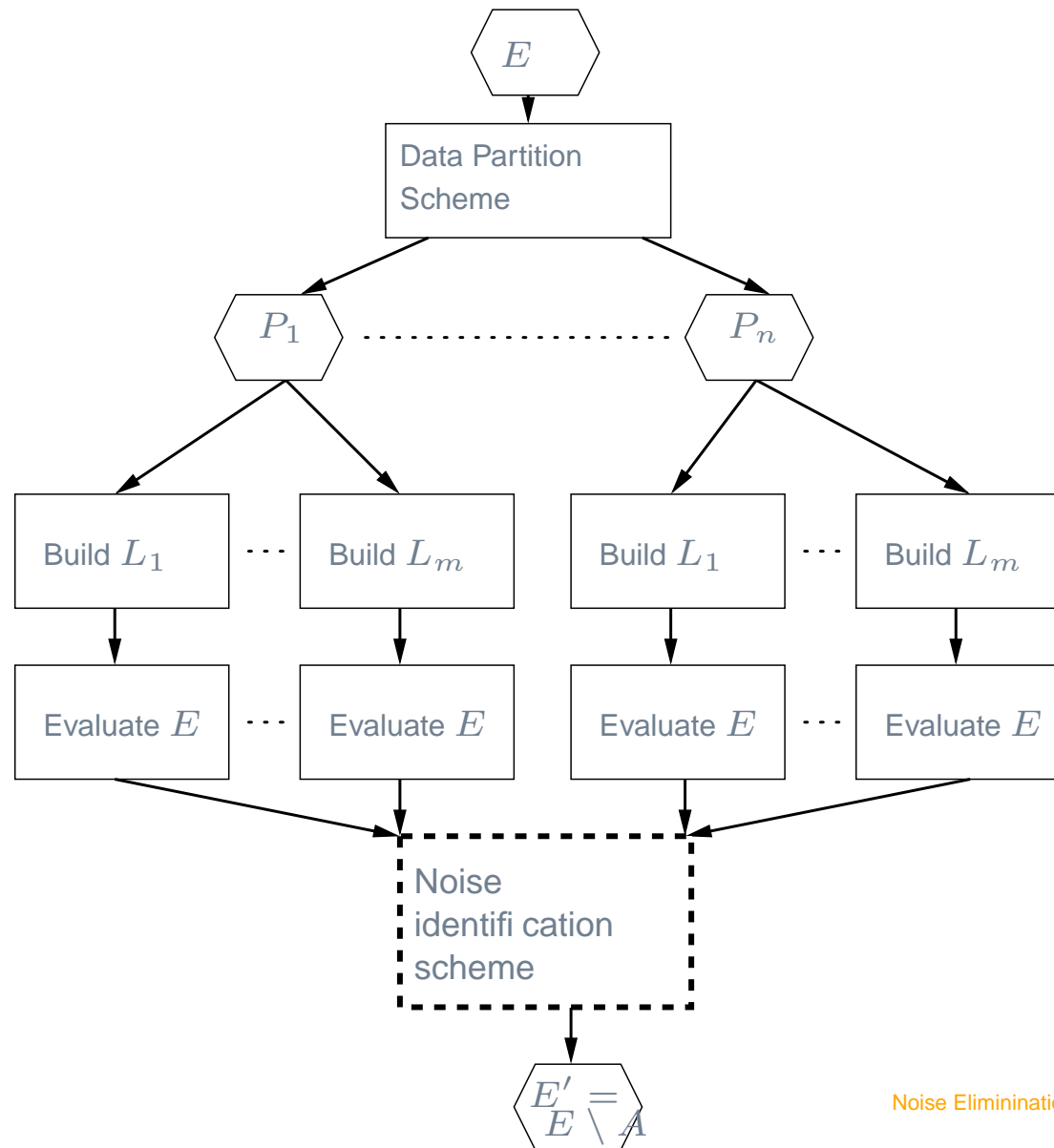


- Expertise of different data mining techniques
- Requires to build  $m$  models
- Problem with large datasets



## 1.2 Partitioning Filter

# Principles



# Local and Global Experts

For each instance, two counters,  $S_k^{le}$  and  $S_k^{ge}$ :

- $I_k \in P_i$  and  $L_j^{cv}(I_k, P_i) \neq c_k \implies S_k^{le} ++$
- $I_k \notin P_i$  and  $L_j(I_k, P_i) \neq c_k \implies S_k^{ge} ++$
- Noisy instances have large value for  $S_k^{le}$  and  $S_k^{ge}$

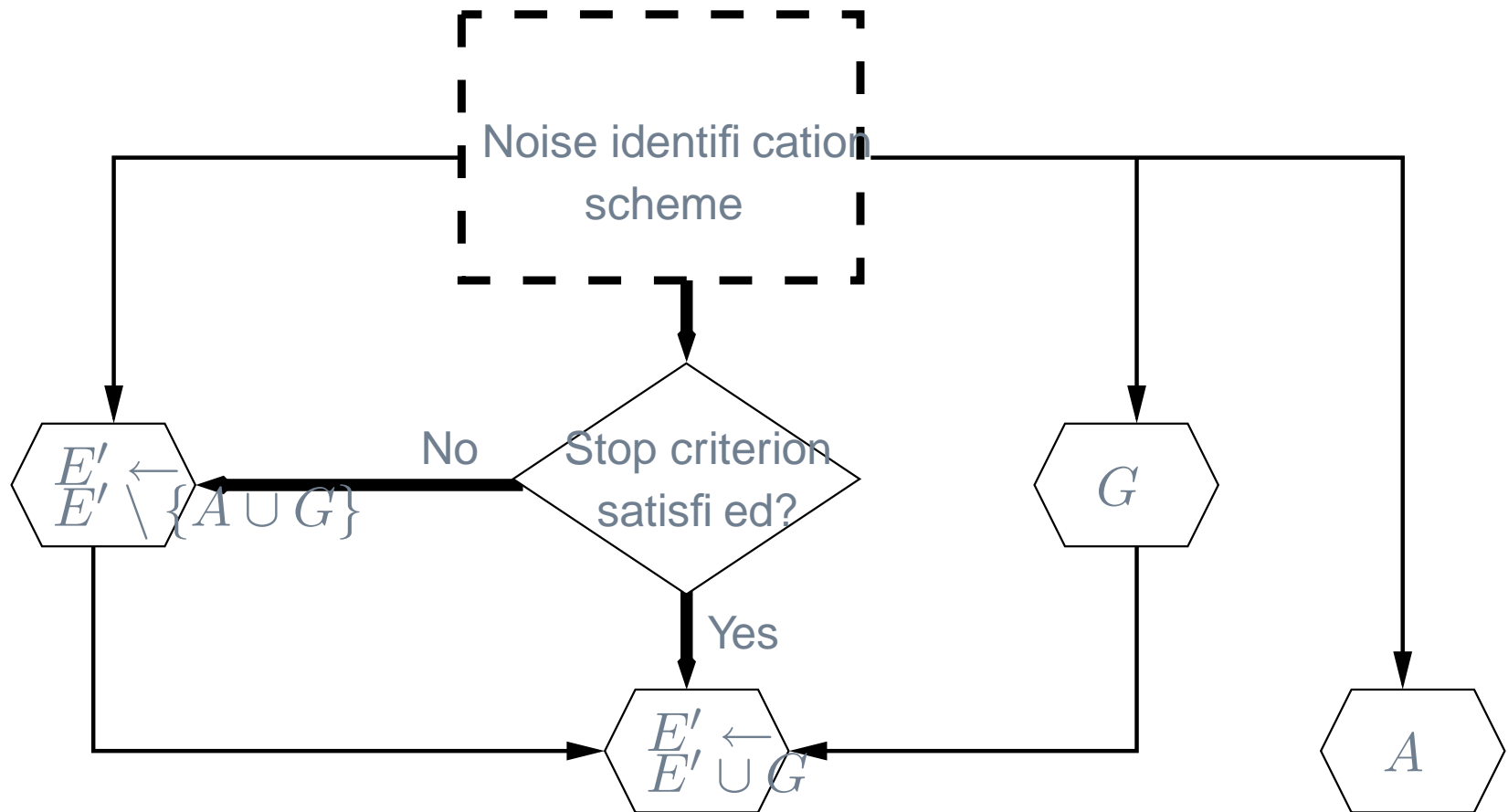
# Voting Schemes

- $I_k$  is identified as *noisy* only if  $S_k^{le} = m$
- Classifier has a higher prediction accuracy with the instances in its training set
- $I_k$  identified as *noisy* if  $S_k^{le} + S_k^{ge} \geq \lambda$
- $m \times n$  experts

# Iterative-Partitioning Filter

- $m = 1$  and  $n = 5$
- Multi-round execution
- Two voting schemes:
  - Consensus scheme (*ipfcons*)
  - Majority scheme (*ipfmaj*)

# Iterative Process





# Multiple-Partitioning Filter

- $m = 5$  and  $n = 5$
- No iterative execution
- With or without the cross-validation constraint
  - $mpf(I_k) = noisy \implies S_k^{ge} + S_k^{le} \geq \lambda$
  - $mpfcv(I_k) = noisy \implies S_k^{ge} + S_k^{le} \geq \lambda$  and  $S_k^{le} = m$
- Use of local and global experts

# Example

$L_i$ induced on $P_i$		$I_1$	$I_2$	$I_3$
$L_1$	$P_1$	<b>fp</b>	<b>fp</b>	<i>fp</i>
	$P_2$	<i>fp</i>	<i>nfp</i>	<b>nfp</b>
	$P_3$	<i>nfp</i>	<i>nfp</i>	<i>fp</i>
$L_2$	$P_1$	<b>fp</b>	<b>nfp</b>	<i>fp</i>
	$P_2$	<i>nfp</i>	<i>fp</i>	<b>nfp</b>
	$P_3$	<i>nfp</i>	<i>nfp</i>	<i>fp</i>
$L_3$	$P_1$	<b>fp</b>	<b>fp</b>	<i>nfp</i>
	$P_2$	<i>nfp</i>	<i>nfp</i>	<b>nfp</b>
	$P_3$	<i>fp</i>	<i>fp</i>	<i>fp</i>
Class $c_k$		<i>nfp</i>	<i>fp</i>	<i>fp</i>
Partition $i$ ( $P_i$ )		1	1	2
Noisy		✓		

$$\lambda = 5$$

$$n = 3$$

$$m = 3$$

# Pros/Cons



## Pros

- Handle large and distributed datasets
- Iterative process
- Flexibility on the level of conservativeness
- Combine bias of different learners
- Need less expertize than the Ensemble Filter

## Cons

- Requires to build  $m \times n$  models





## 1.3 Unified Framework

# Input Parameters

- $n$ , number of subsets
- $L_i$   $i = 1, \dots, m$ , base learners
- $bCv$ , boolean value indicating whether or not the cross-validation constraint is used
- $\lambda$ , filtering level
- $\beta$ , the rate of good examples to be removed in each round
- Stopping criterion

# Specialization

Symbol	$m$	$n$	$bCv$	$\lambda$	Iteration	L	G	T
<i>cvf</i>	1	1	NA	1	no	1	0	1
<i>ef</i>	25	1	NA	13-25	no	25	0	25
<i>sef</i>	5	1	NA	3-5	no	5	0	5
<i>ipfcons</i>	1	5	true	5	yes	1	4	5
<i>ipfmaj</i>	1	5	true	3	yes	1	4	5
<i>mpf</i>	5	5	false	13-25	no	5	20	25
<i>mpfcv</i>	5	5	true	13-25	no	5	20	25



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## 2 Case Studies

# Domain Dataset

- Software quality data from NASA projects
- Very high misclassification rates indicated the presence of inherent noise in the data
- 8850 instances

Learner	Type I	Type II
IBk	32.70%	32.48%
OneR	34.50%	34.38%
JRip	33.18%	33.08%
J48	32.56%	32.42%
LWLStump	33.59%	33.61%





## 2.1 Noise Removal

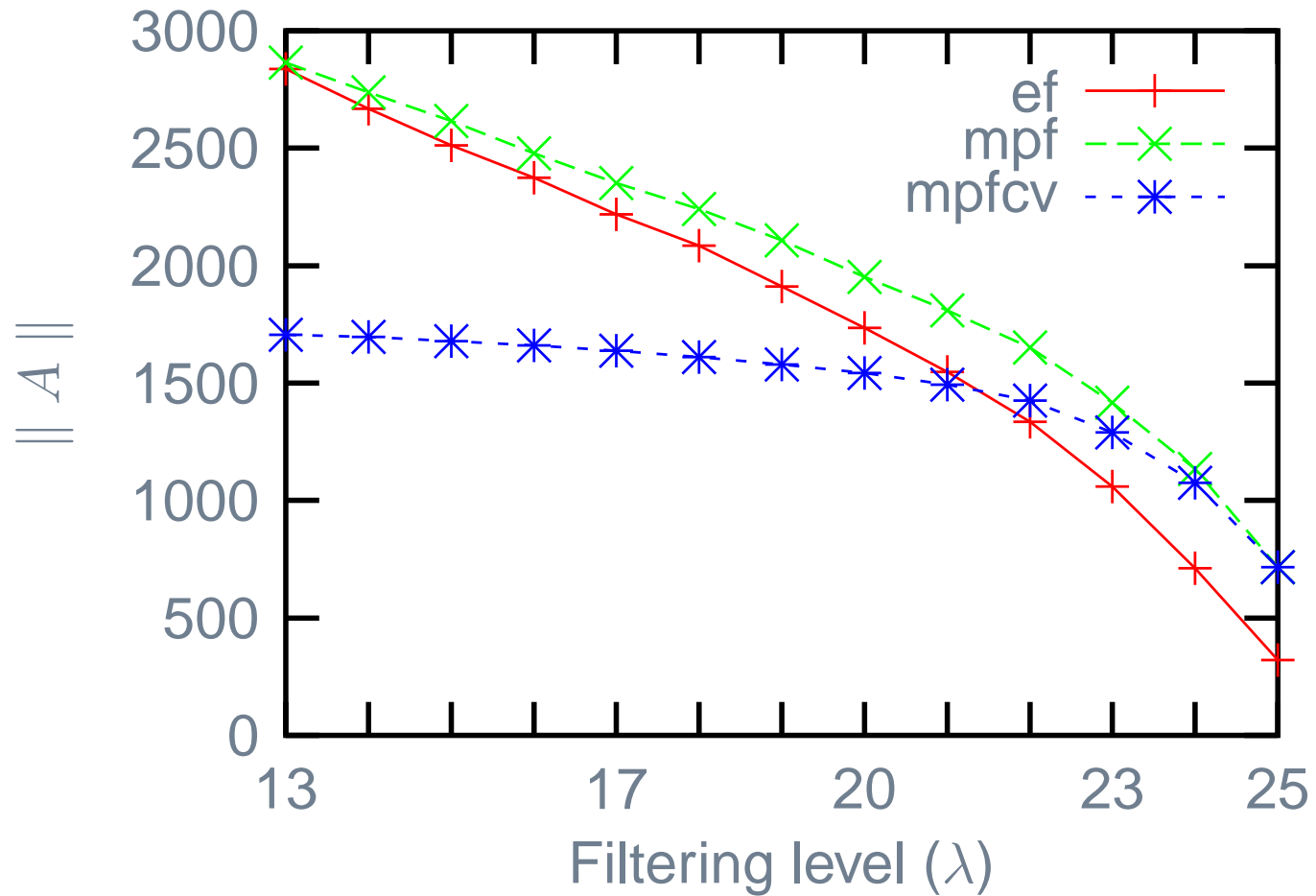
# Most Aggressive Filters

Filters	Count	Proportion
ipfmaj-7	3131	35.38%
ipfmaj-6	3116	35.21%
ipfmaj-5	3107	35.11%
ipfmaj-4	3071	34.70%
ipfmaj-3	2979	33.66%
cvf	2879	32.53%
mpf-13	2864	32.36%
ef-13	2837	32.06%
⋮	⋮	⋮

# Most Conservative Filters

Filters	Count	Proportion
⋮	⋮	⋮
mpf-24	1135	12.82%
mpfcv-24	1076	12.16%
ef-23	1059	11.97%
ipfcons-1	1004	11.34%
mpf-25	717	8.10%
mpfcv-25	717	8.10%
ef-24	711	8.03%
ef-25	321	3.63%

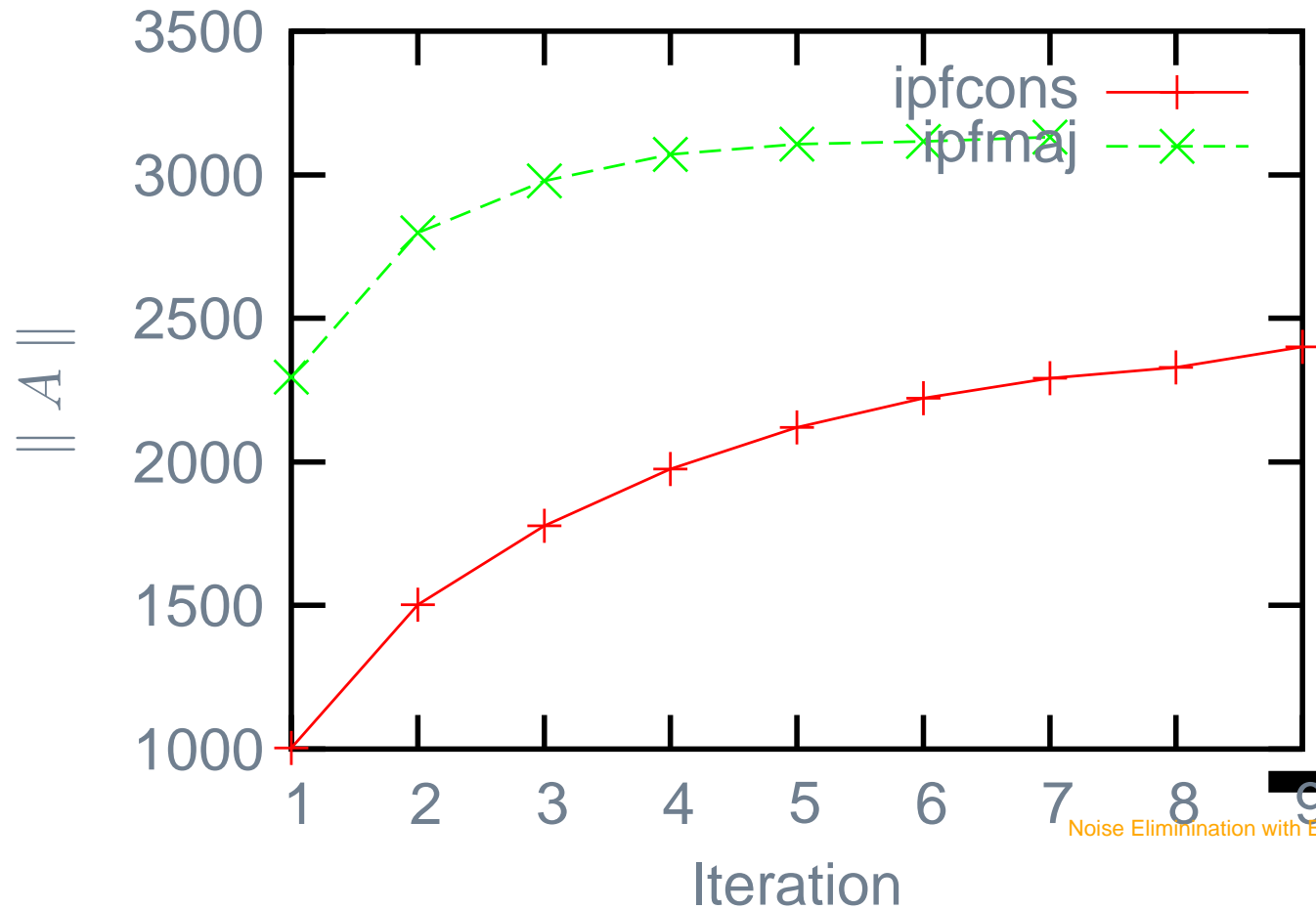
# At a Given Filtering Level



# Iterative-Partitioning Filter

●  $n = 5$

●  $m = 1$  (J48)



# Combination

Combination	Filters that agree	Combination count			
		<i>nfp</i>	<i>fp</i>	Total	Proportion
<empty>	NA	2065	376	2441	27.58%
cvf	1/59	175	24	199	2.25%
All the filters	59/59	113	9	122	1.38%

# Conclusion

- Two new filtering schemes
- Unified framework
- Cross-Validation Filter too aggressive
- Ensemble Filter at high filtering level is conservative

# Questions?

